



# Molecular modelling and simulation of adsorption and wetting of structured surfaces

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Newport, Shropshire, 10<sup>th</sup> September 2014

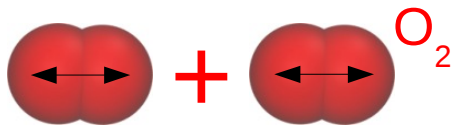
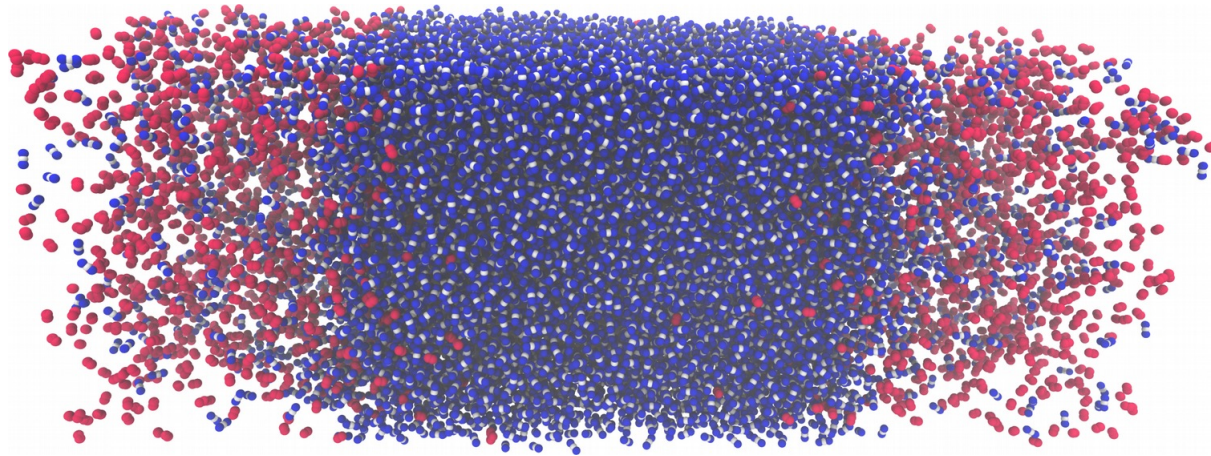
CCP5 Annual Meeting



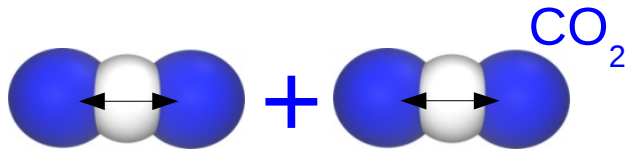
**Computational  
Molecular Engineering**



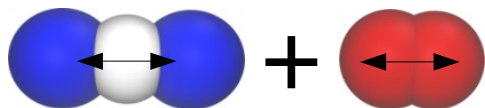
# Adsorption at vapour-liquid interfaces



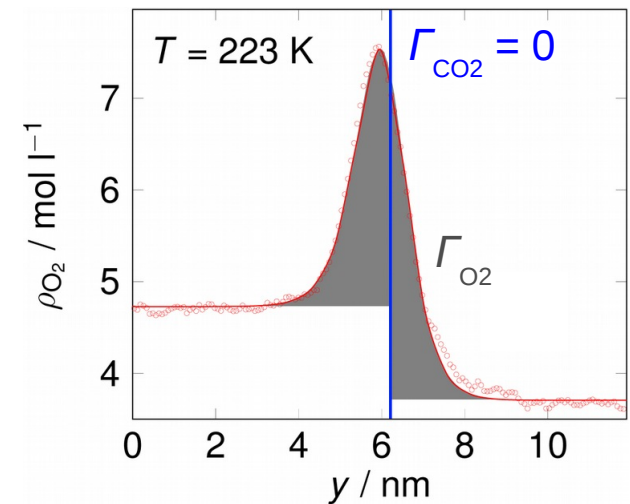
*Vrabec et al. (2001)*



*Vrabec et al. (2001)*



*Stoll et al. (2003)*

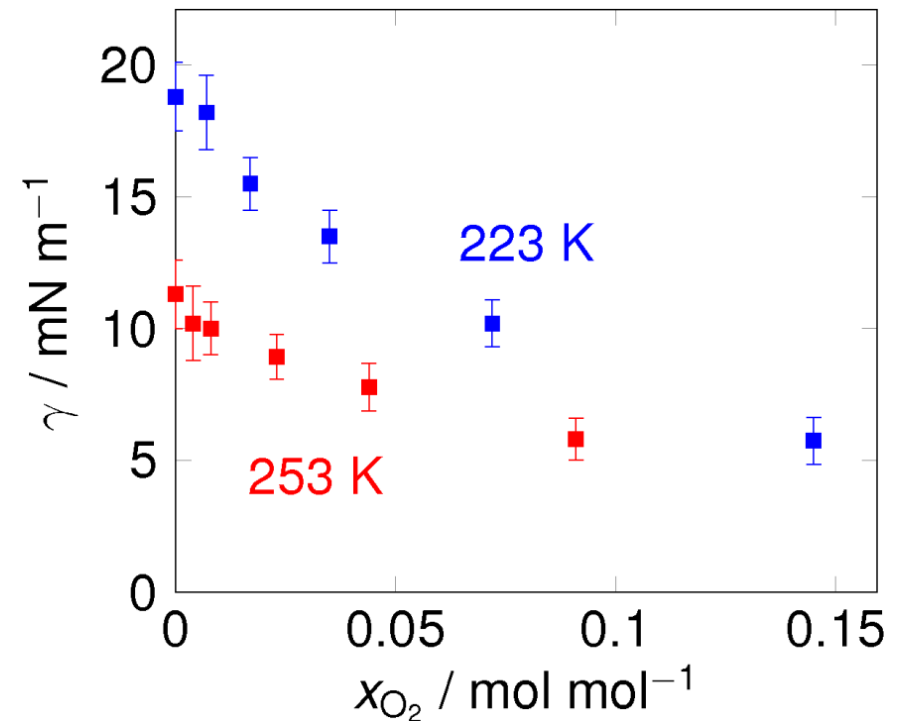
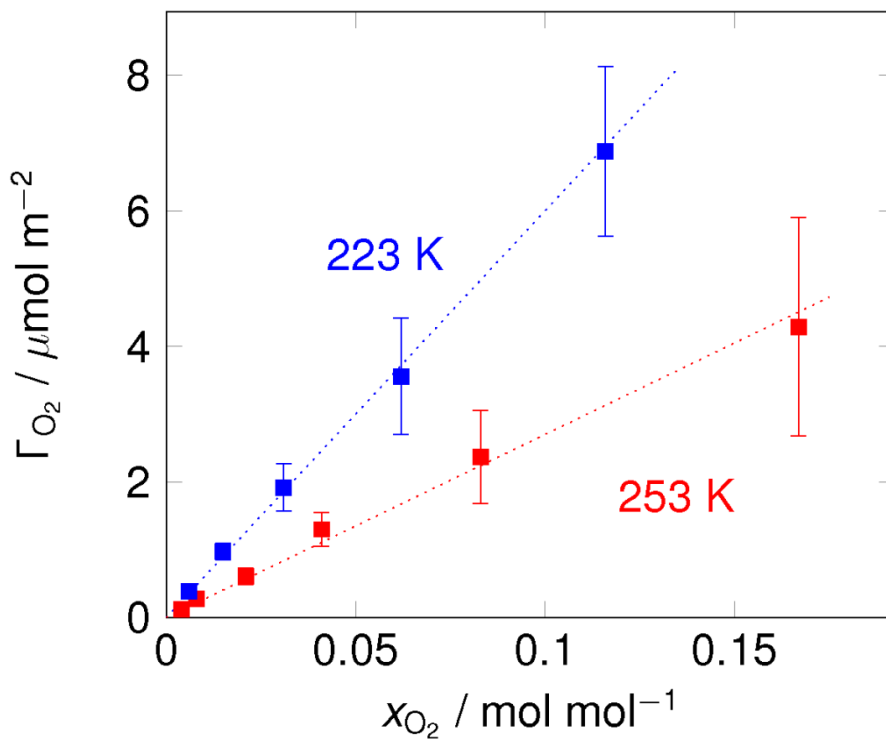




# Adsorption at vapour-liquid interfaces

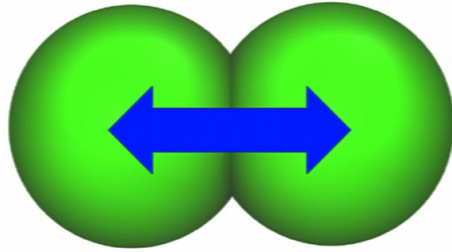
Surface tension and adsorption are related by

$$d\gamma = -\zeta dT - \sum \Gamma_i d\mu_i \quad (\text{Gibbs adsorption equation})$$





# Surface tension of real fluids



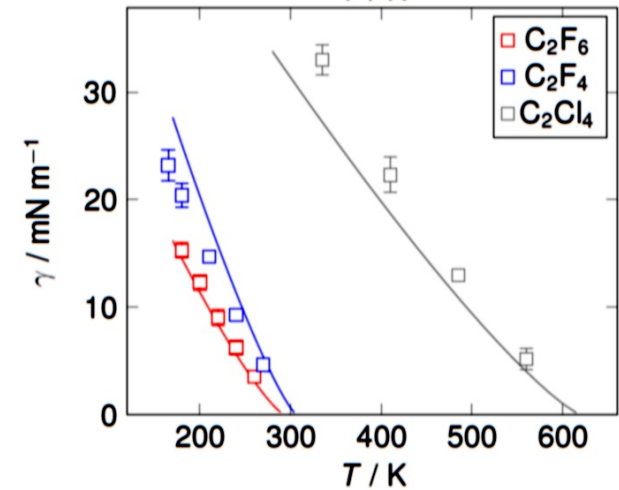
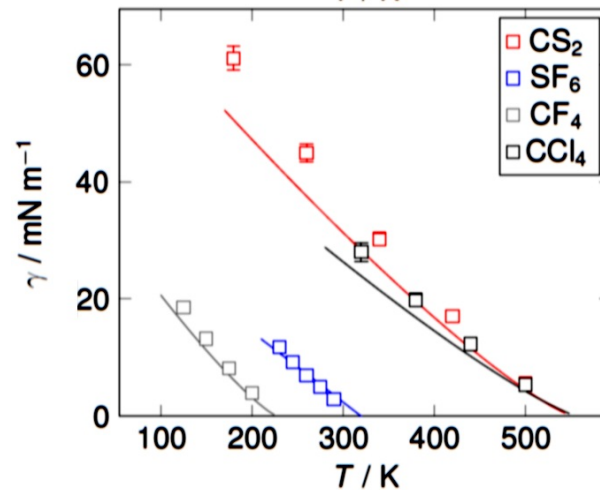
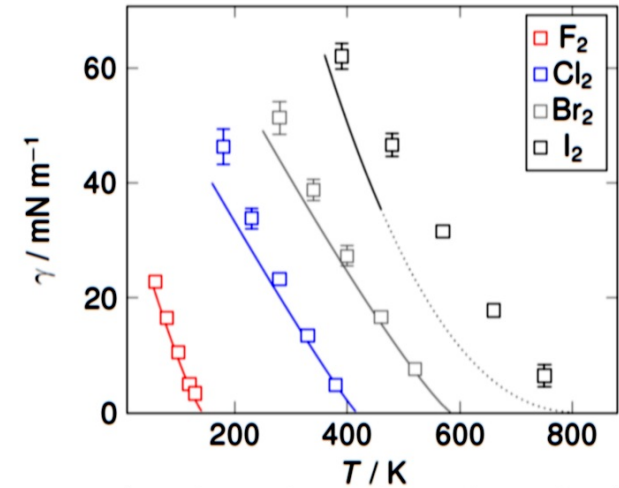
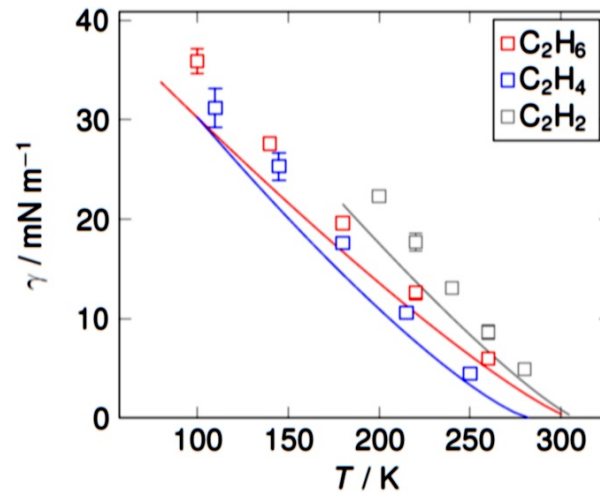
2CLJQ models:

- 2 LJ centres
- Quadrupole

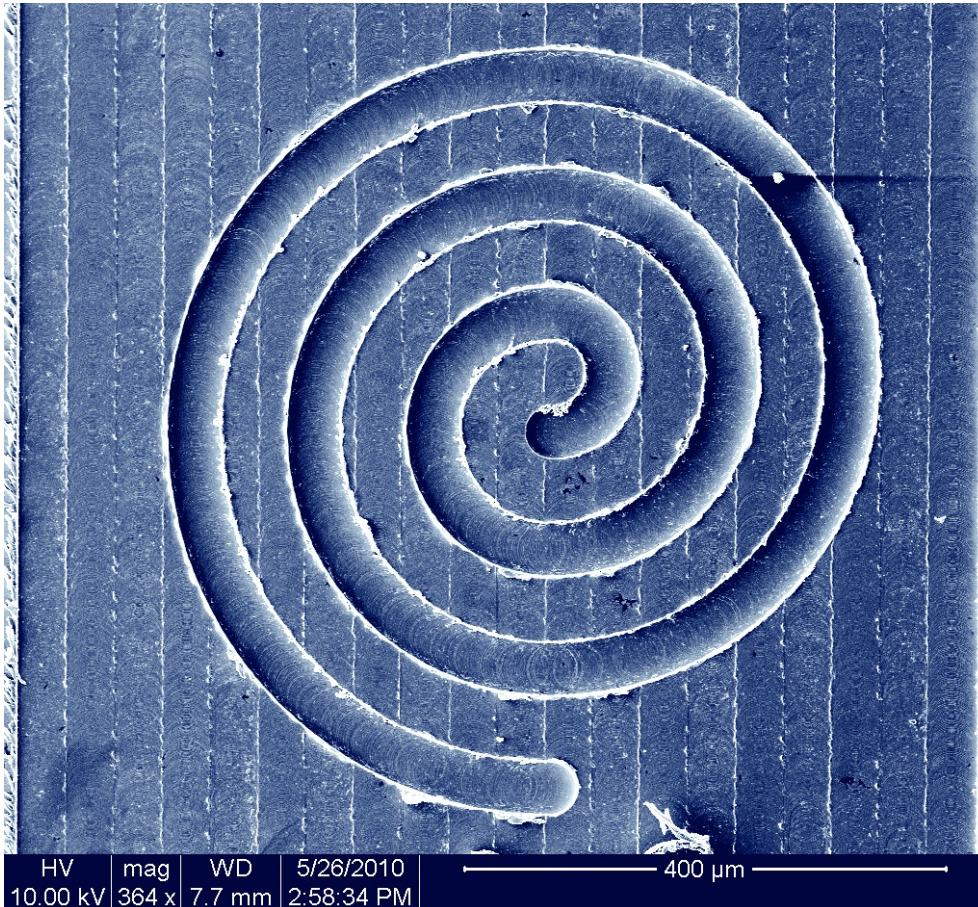
Fit of parameters  $\sigma$ ,  $\varepsilon$ ,  $L$ ,  $Q$  to VLE data of 29 fluids by Stoll *et al.*

Deviation:

- $\delta\rho' \approx 1\%$
- $\delta P^{\text{sat}} \approx 5\%$



# Adsorption at real component surfaces



## Titanium components

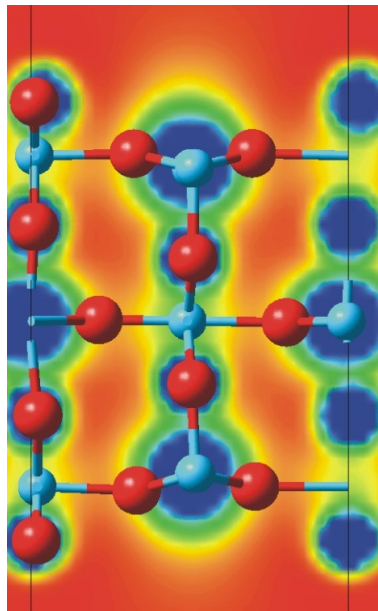
- Covered by oxide layer
- Possibly rough and/or intentionally patterned surface
- Surface may be contaminated with organic matter

First step: Reliable molecular simulation of water adsorbed on a clean and planar surface.



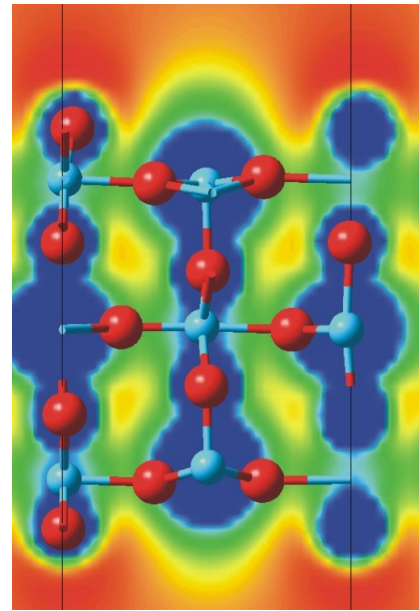
# Quantum mechanical calculations

Computation of the electrostatic potential:



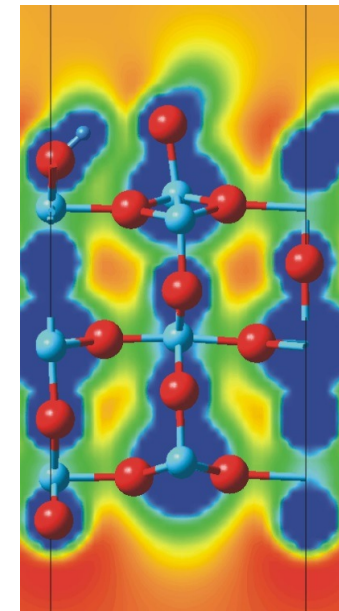
**dry rutile surface**

-125  
kJ/mol



**physisorbed water**

-33  
kJ/mol



**chemisorbed water**

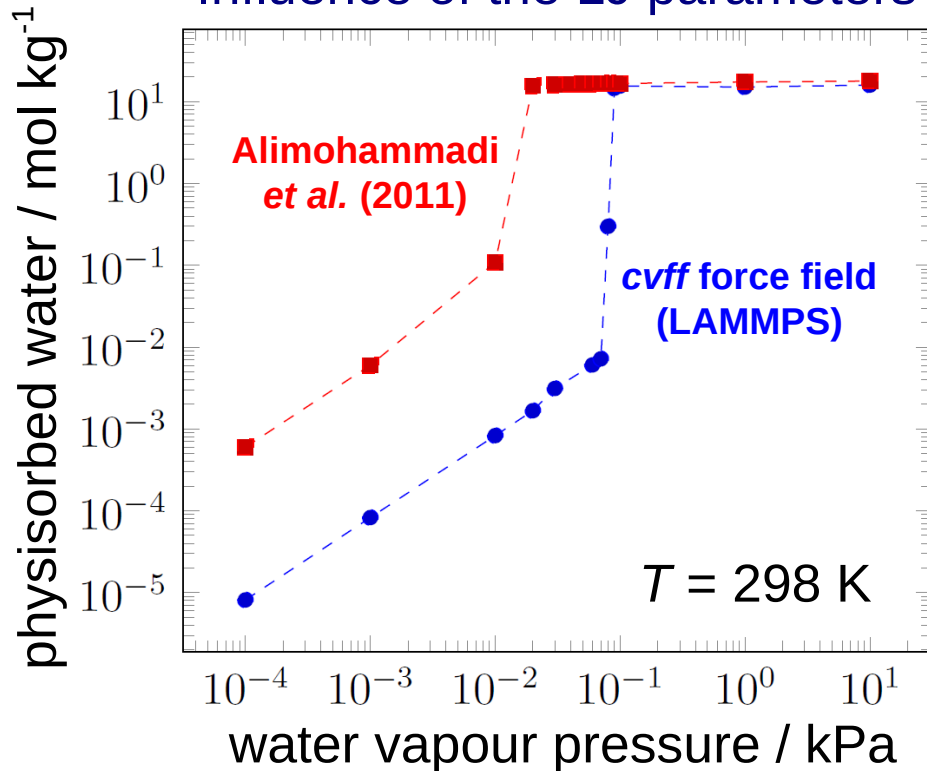
VASP simulation parameters (structure optimization with PBE functional):

Plane-wave cutoff at 282 eV,  $k$ -point spacing  $0.5 \text{ \AA}^{-1}$ , O s pseudopotential.

# Adsorption by grand canonical simulation

- Electrostatic grid from VASP
- Lennard-Jones parameters from literature

## Influence of the LJ parameters



## Further open issues:

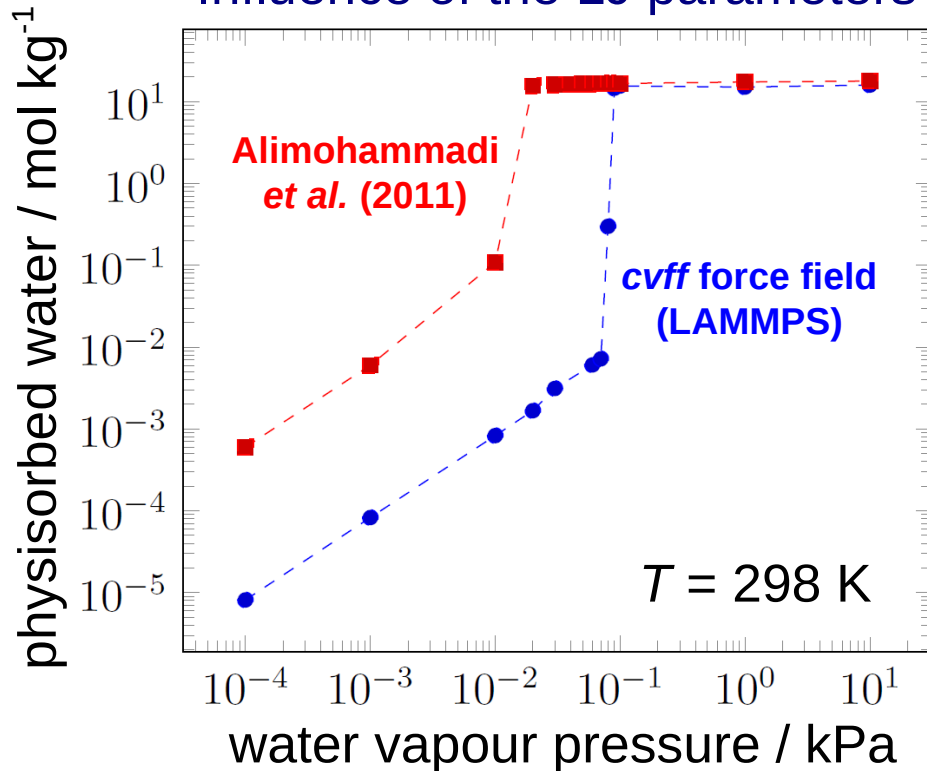
- Influence of chemisorption on the electrostatic grid
- Influence of organic matter adsorbed at the surface
- Surface roughness and hysteresis effects
- Influence of the water model
- Etc. ...



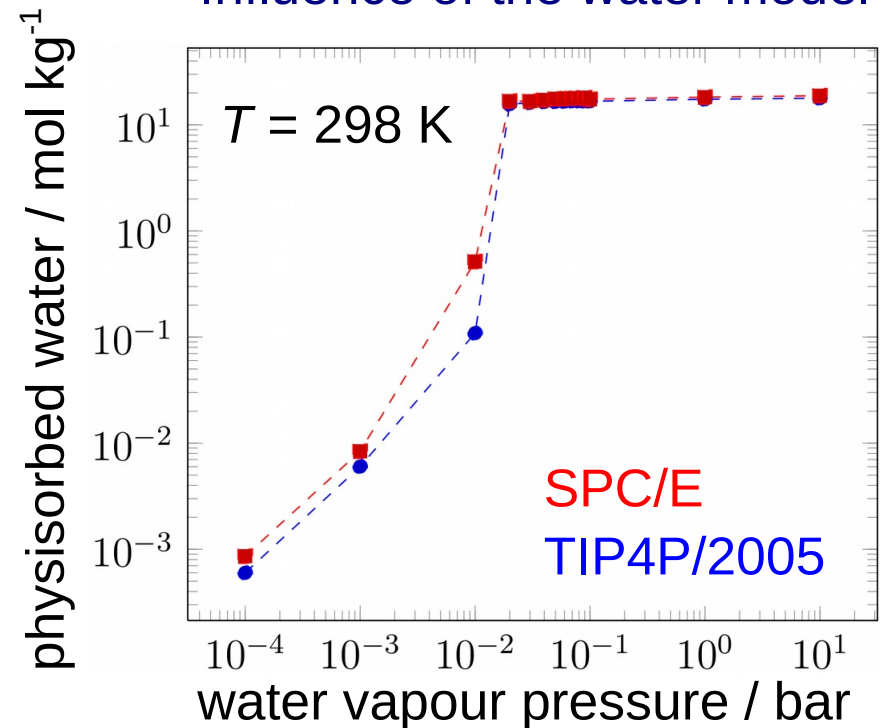
# Adsorption by grand canonical simulation

The fluid-solid interaction has a greater impact than the pure fluid model.

## Influence of the LJ parameters



## Influence of the water model

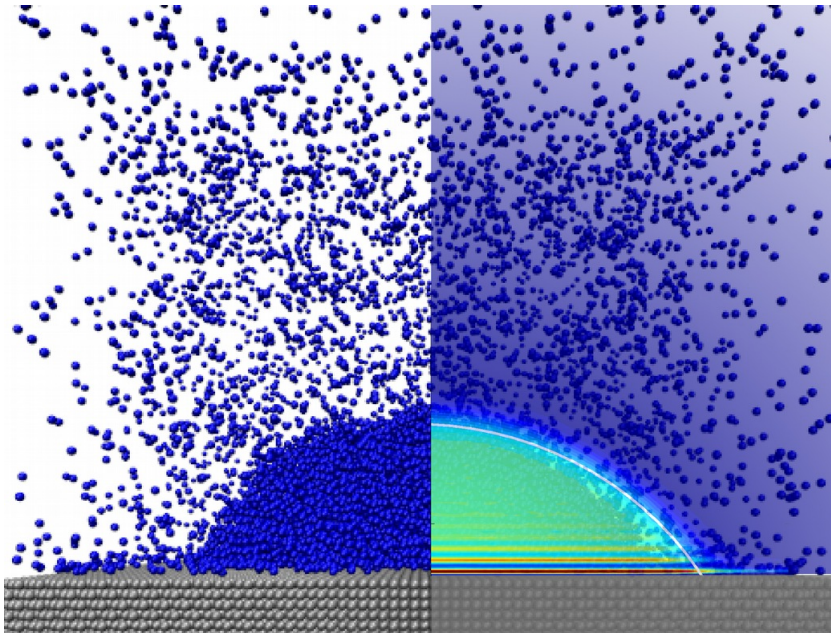






# Sessile droplet on a planar surface

LJTS fluid (with  $\sigma$  and  $\varepsilon$ ) on a planar LJTS substrate (with  $\varepsilon_s = 100 \varepsilon$ ):



Correlation of the density profile by

$$\rho(R, y) = f(R) \cdot [h(y) + 1],$$

with exponentially decaying oscillations of  $h(y)$ , in terms of the distance  $y$  from the wall,

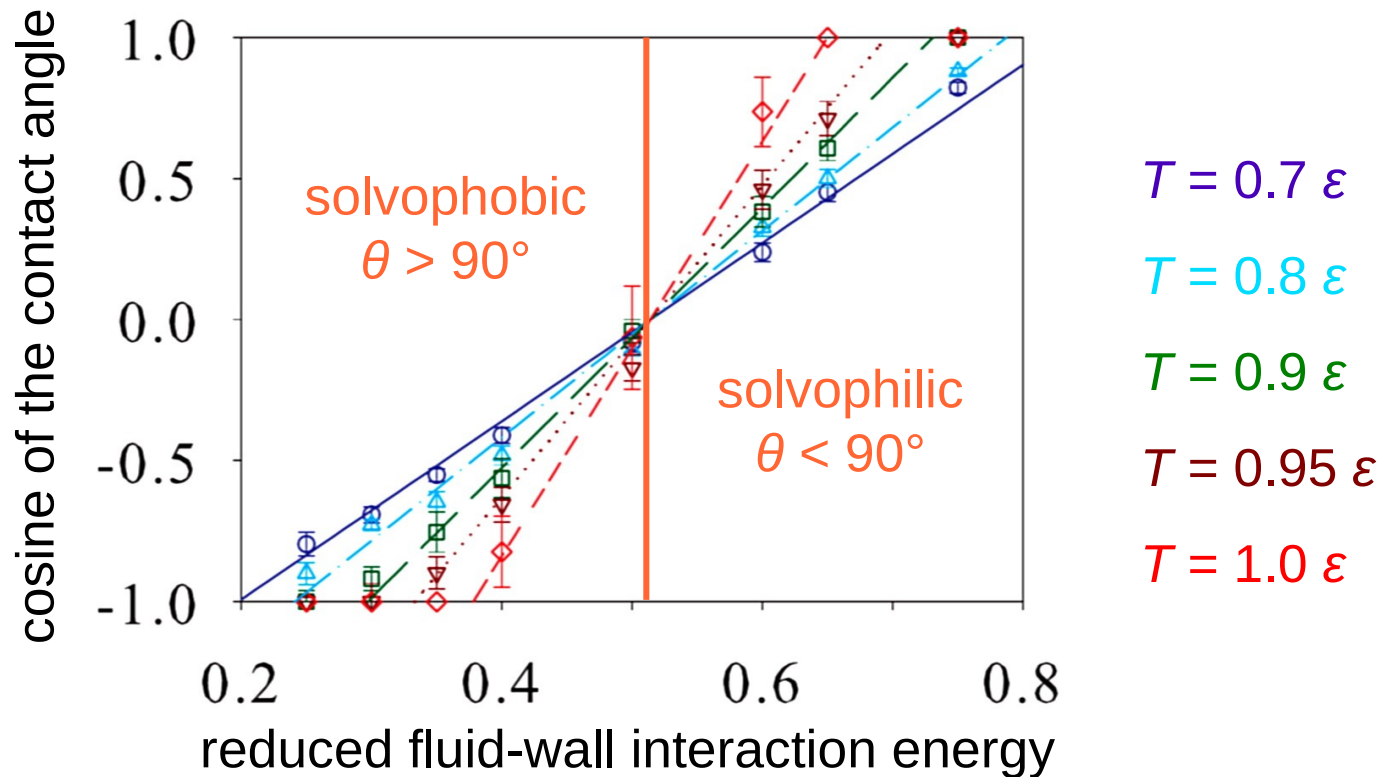
and a tanh type profile  $f(R)$  over the distance  $R$  from the droplet centre.

The fluid-solid contact angle is determined at the intersection of the wall surface with the vapour-liquid interface given by the correlation expression.



# Influence of the fluid-wall interaction

Variation of the  $\zeta$  parameter (unlike interaction) on a substrate with  $\sigma_s = \sigma$ :

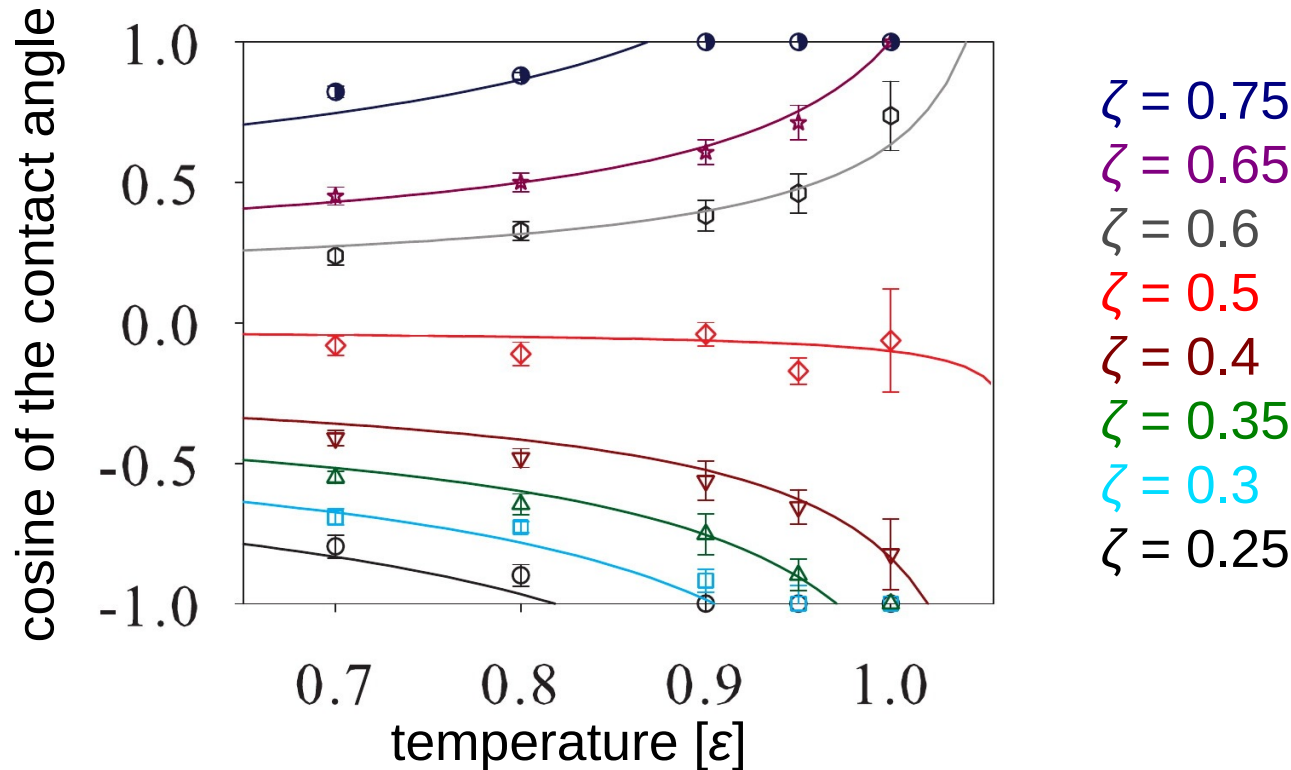


The transition from solvophilic to solvophobic surfaces is independent of  $T$ .



# Critical wetting transition

At high temperatures, critical wetting or dewetting is observed ( $\sigma_s = \sigma$ ):

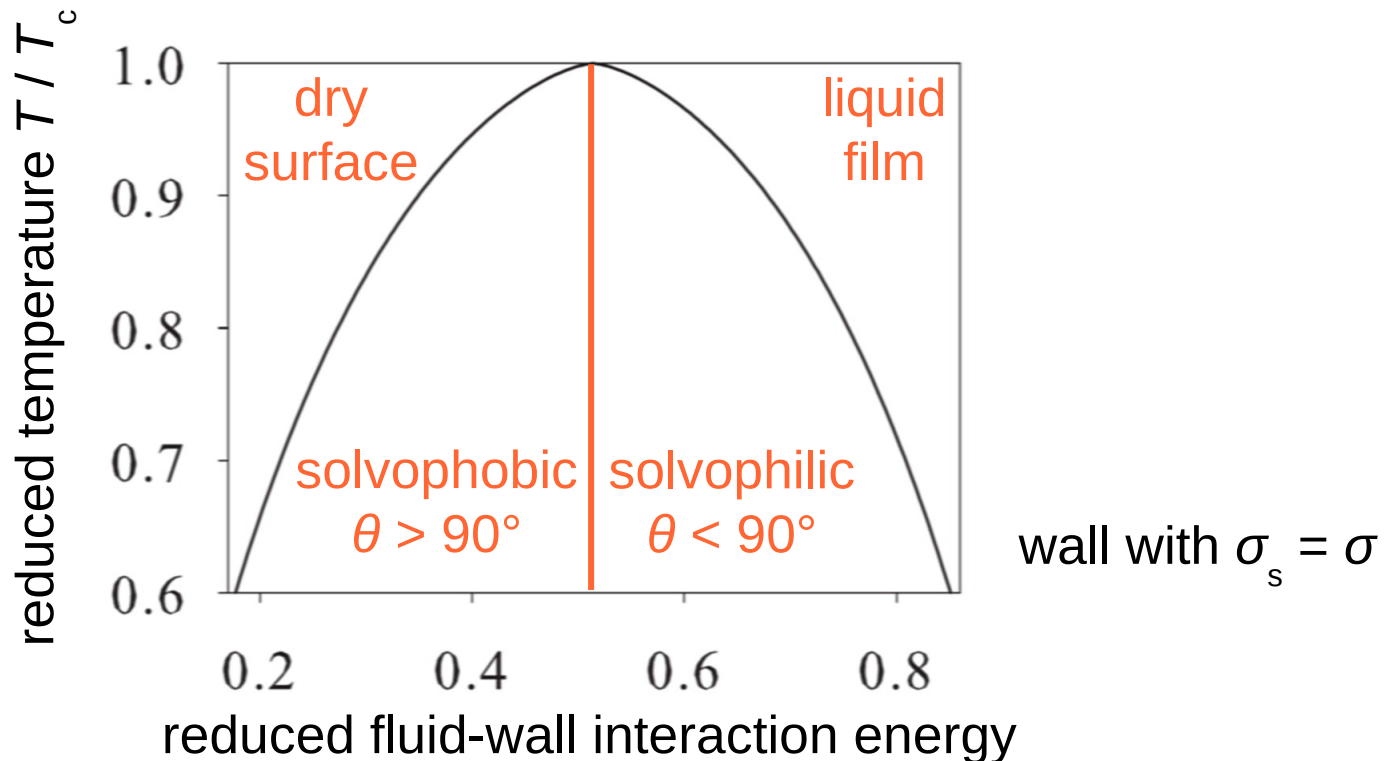


Correlation:  $\cos \theta$  proportional to  $(1 - T/T_c)^{-2/3} + 1$  as well as  $\zeta - \zeta_{\perp}$ .



# Critical wetting transition

At high temperatures, critical wetting or dewetting is observed:

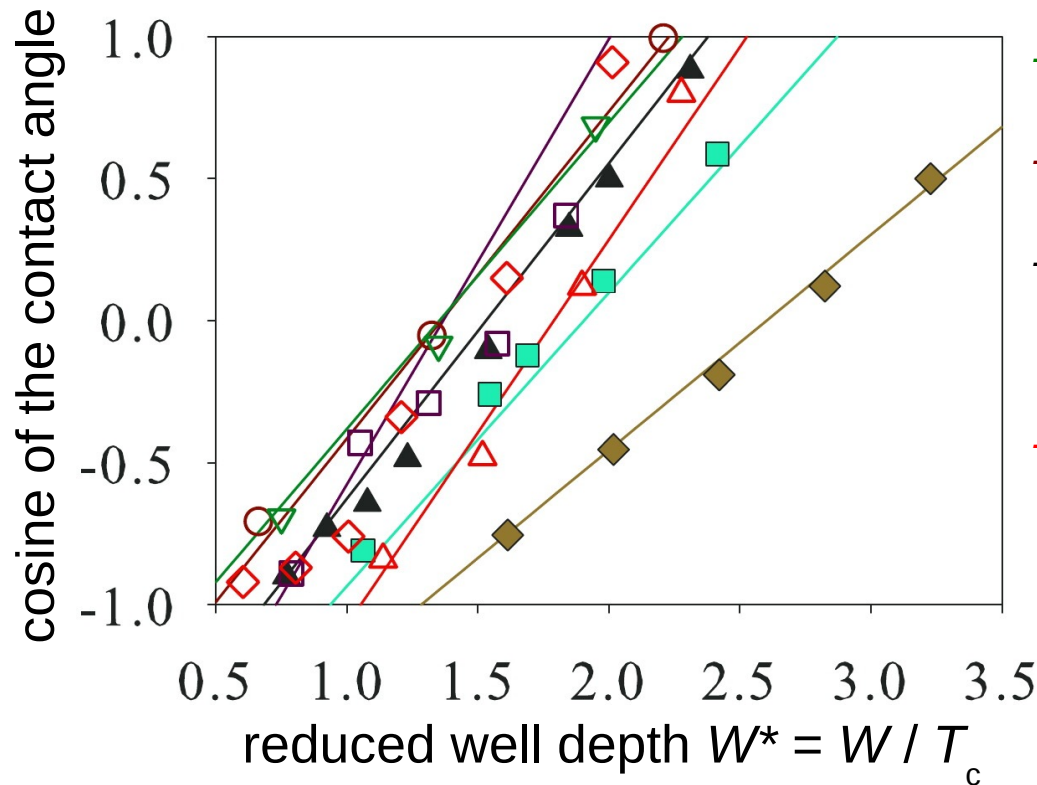


Correlation:  $\cos \theta$  proportional to  $(1 - T/T_c)^{-2/3} + 1$  as well as  $\zeta - \zeta_\perp$ .



# Influence of the substrate model

Wall model and fluid-wall interaction influence the interaction well depth  $W$ .



$T = 0.7 \varepsilon$ , Grzelak *et al.* (2010)

$T = 0.75 \varepsilon$ , Ingebrigtsen and Toxværd (2007)

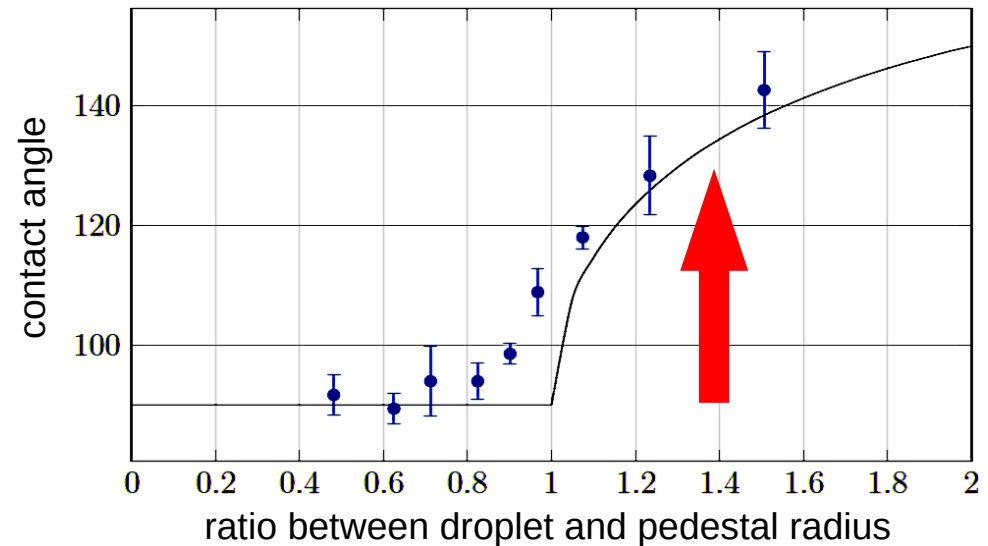
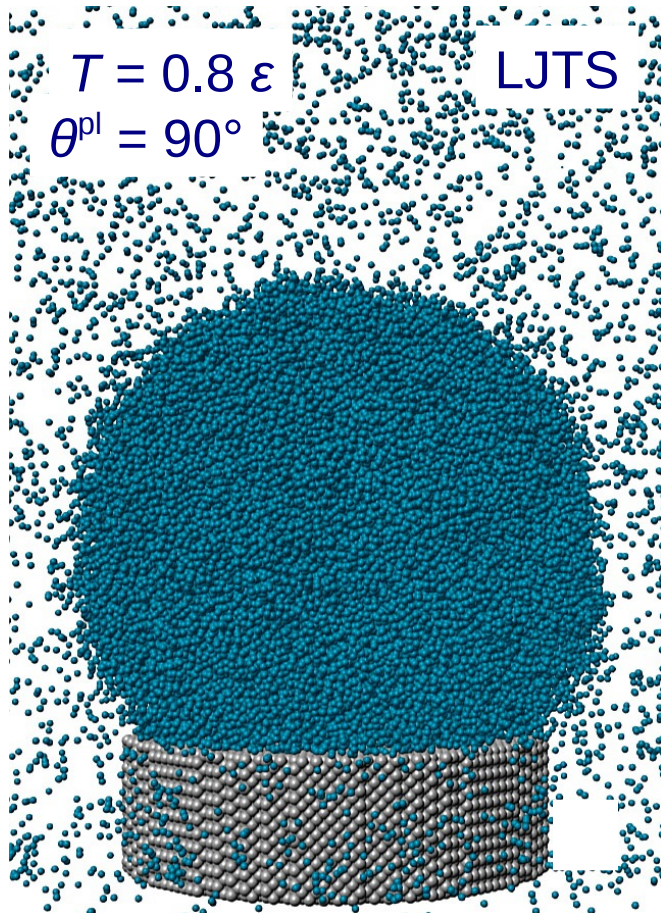
$T = 0.8 \varepsilon$ , present work ( $\blacktriangle$ ) with  $\sigma_s = \sigma$ ,  
( $\blacksquare$ ) with  $\sigma_s = 0.8 \sigma$ , ( $\blacklozenge$ ) with  $\sigma_s = 0.64 \sigma$

$T = 0.9 \varepsilon$ , ( $\triangle$ ) Nijmeijer *et al.* (1990),  
( $\diamond$ ) Nijmeijer *et al.* (1992),  
and ( $\square$ ) Tang and Harris (1995)

Lines: General correlation  $\theta(T^*, W^*, \rho)$  for contact angles of LJ systems.

# Patterned surfaces: Epitaxial Cassie state

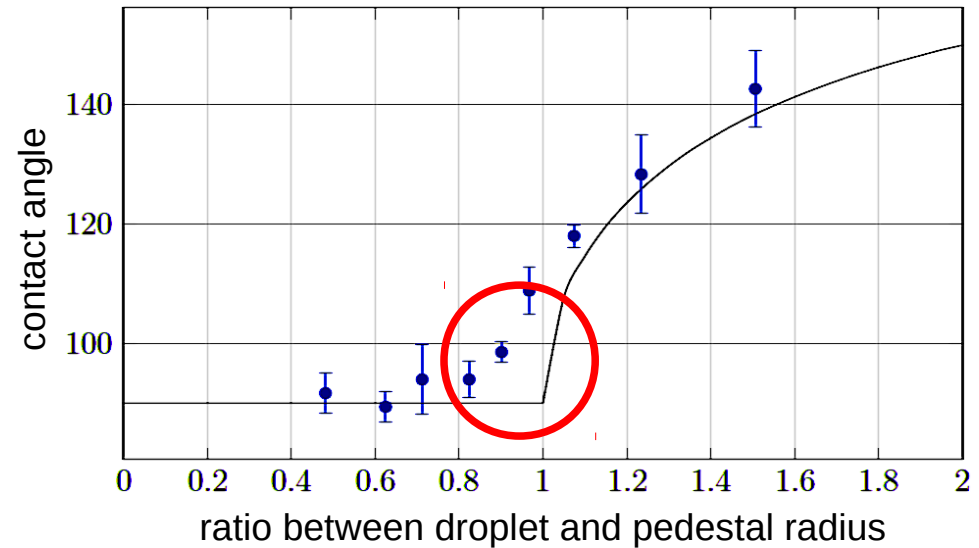
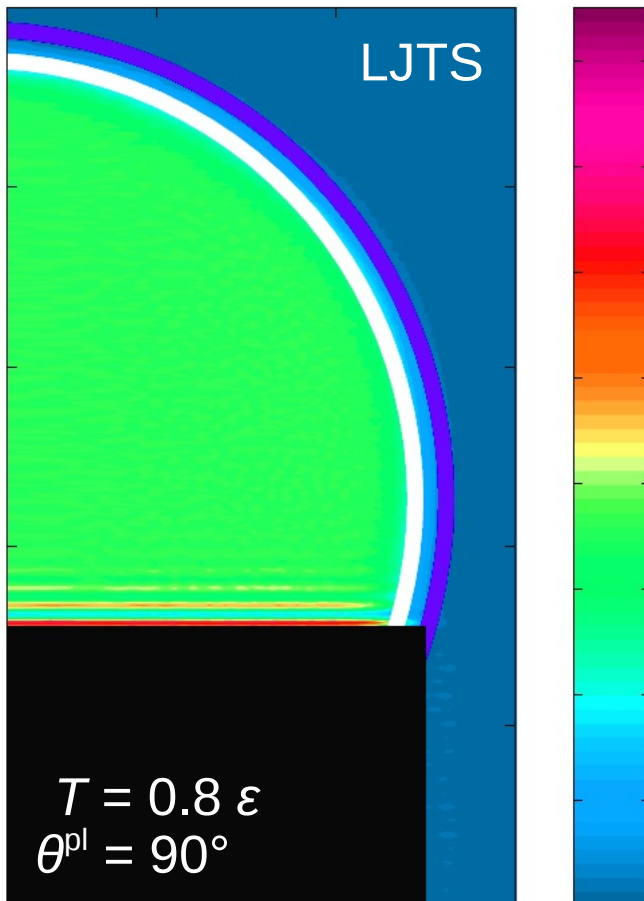
Epitaxial Cassie state



Due to contact line pinning, the contact angle at an edge may significantly exceed the value corresponding to a perfectly planar surface.

# Patterned surfaces: Epitaxial Cassie state

## Epitaxial Cassie state

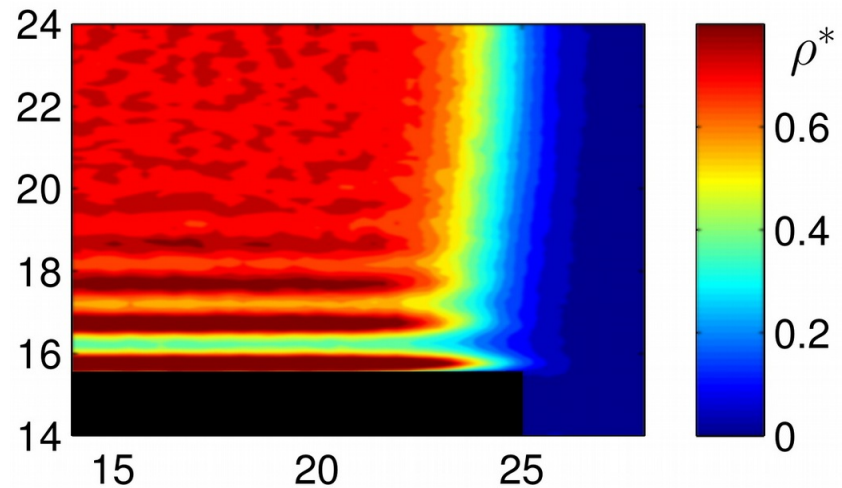
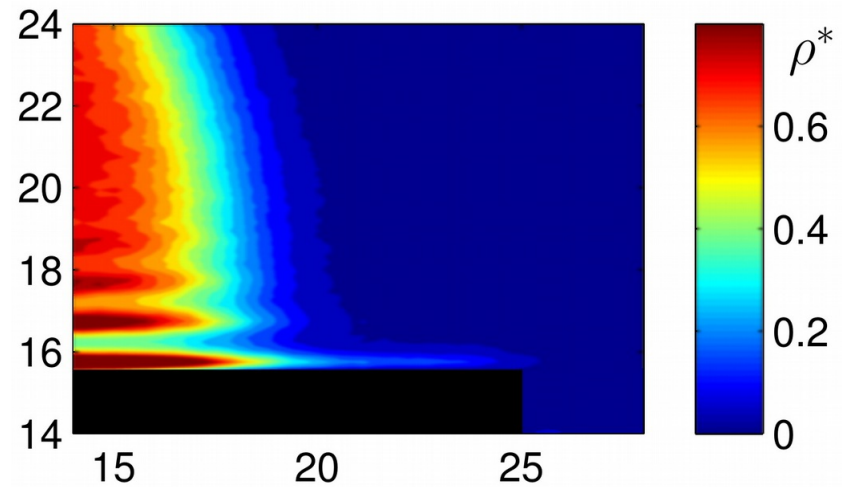
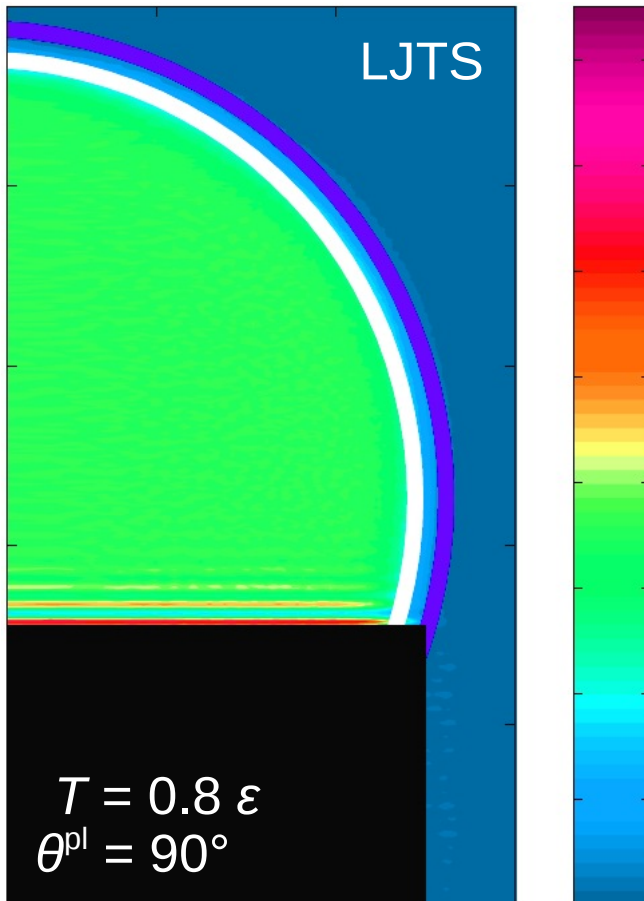


Line pinning does not occur exactly at the edge. The contact line is shifted inward due to the presence of a precursor layer.



# Patterned surfaces: Epitaxial Cassie state

Epitaxial Cassie state





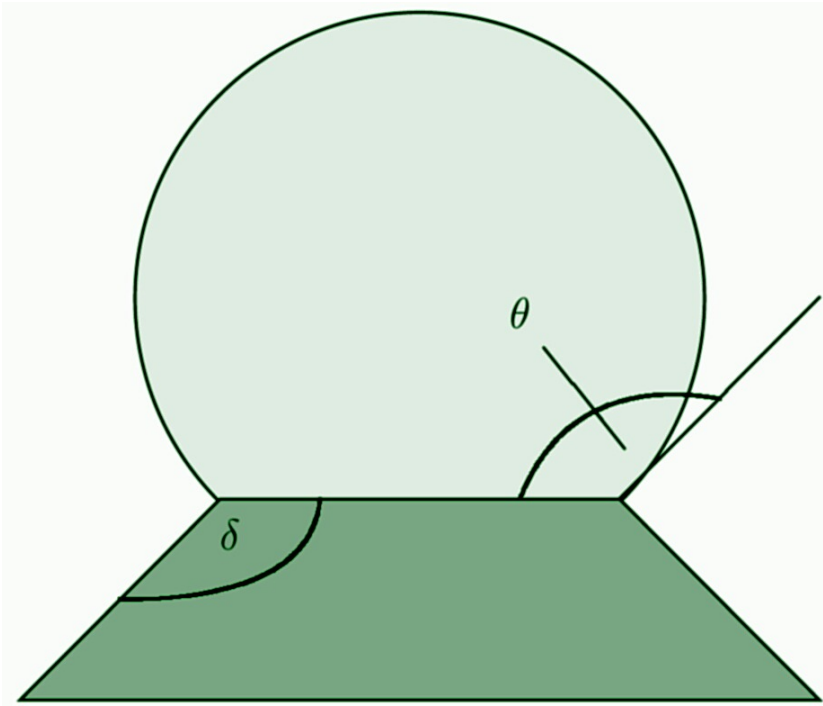


# Contact line pinning: Gibbs inequality

Phenomenologically, the range of contact angles that are mechanically stable in the epitaxial Cassie state is given by the Gibbs inequality

$$\theta^{\text{pl}} \leq \theta \leq 180^\circ - \delta + \theta^{\text{pl}}$$

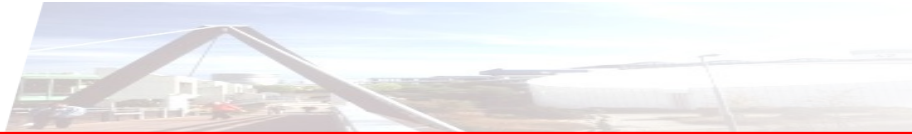
(with  $\theta \leq 180^\circ$ ).



At constant pedestal radius,

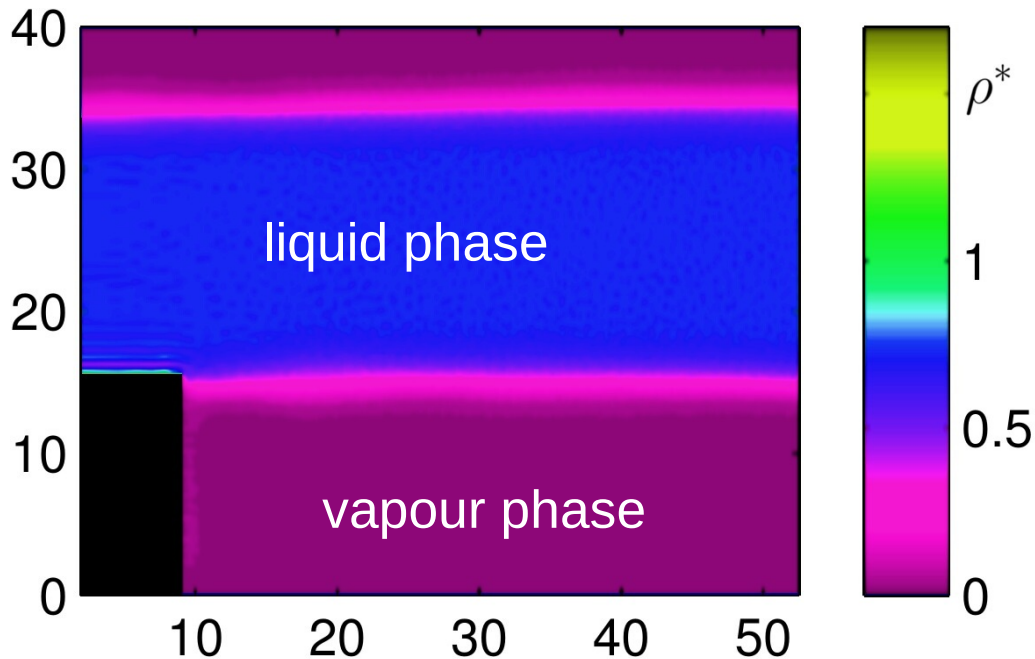
- droplet radius  $R$  increases with  $\theta$ ,
- $R$  becomes infinite for  $\theta \rightarrow 180^\circ$ .

To check the Gibbs inequality, the simulation setup has to be altered.



# Contact line pinning: Gibbs inequality

Case with  $\theta^{\max} = 180^\circ$



LJTS potential

$$T = 0.8 \varepsilon \quad \text{and} \quad \zeta = 0.4$$

$$\theta^{\text{pl}} = 118^\circ \quad \text{and} \quad \delta = 90^\circ$$



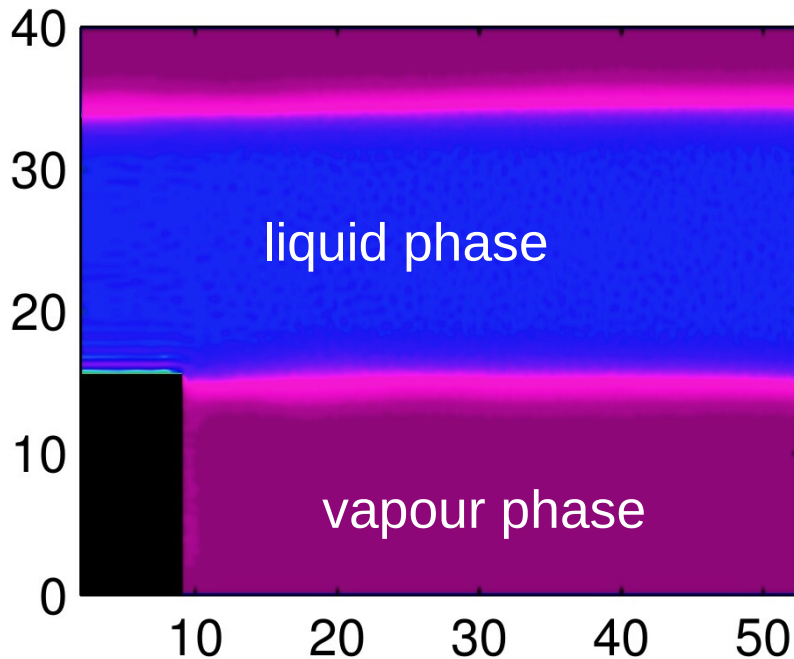
$$\theta^{\max} \approx 180^\circ$$

Present simulation results are in agreement with the Gibbs inequality.

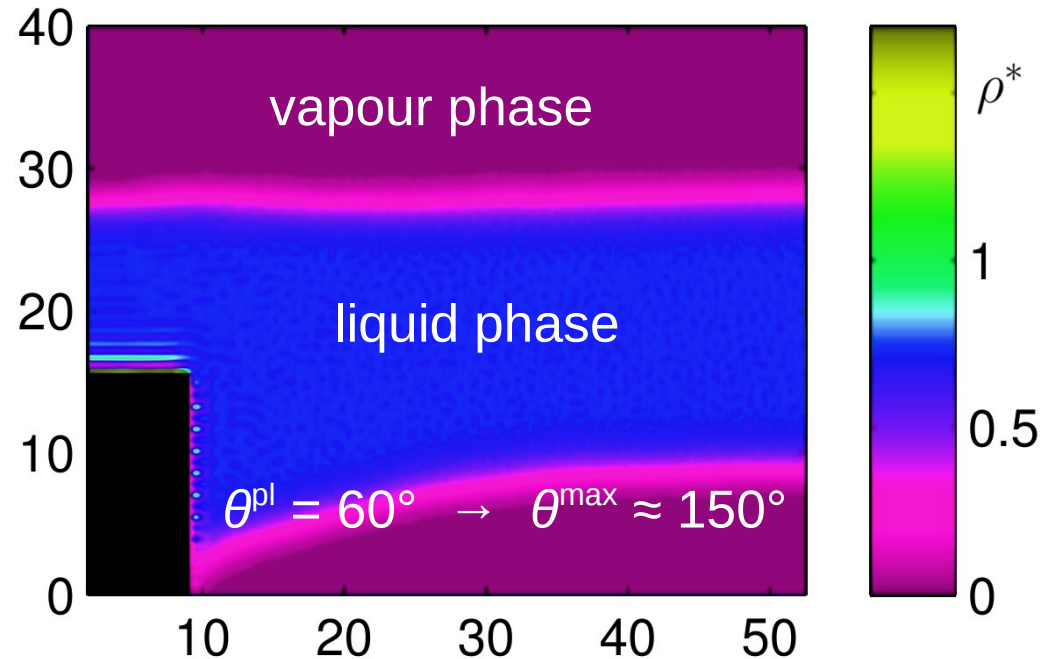


# Contact line pinning: Gibbs inequality

Case with  $\theta^{\max} = 180^\circ$



Case with  $\theta^{\max} < 180^\circ$



Present simulation results are in agreement with the Gibbs inequality.



# Conclusion

- Molecular models for quadrupolar fluids **predict the surface tension** with an average relative deviation of about 20 % from experimental data.
- Even simple molecular fluids can exhibit a significant **surface enrichment**, related to the dependence of the surface tension on composition.
- The fluid-solid **contact angle** was determined and correlated for Lennard-Jones systems in dependence of the substrate density and the fluid-solid interaction well depth.
- Contact **line pinning** at an edge (epitaxial Cassie state) was simulated.